

Data :- The values of observation for the variable is known Data

variable :- is the characteristics that observed in person, things, places.
* Isn't the same

Descriptive statistics :- This one serve as device for organizing & summarizing data & bringing into a focus their essential characteristics Descriptive statistics

* Nominal → simple frequency table

* continuous Metric variable → grouped frequency distribution

- pie chart

→ Nominal & ordinal data

→ Disadvantage of pie chart ⇒ ① It can only represented one variable

→ Advantage of pie chart ⇒ Excellent in showing part vs. whole comparisons

- BAR chart

→ qualitative & quantitative discrete type

→ type : ① simple bar chart ② clustered bar chart ③ stacked bar chart

→ excellent for showing magnitude differences

- Histogram chart

→ quantitative continuous metric variable

→ The table is of simple or complex

* shape of Histogram

① symmetrical, normal, or bell shaped

② uniform S.N.B rectangular

③ skewed right or + skewed

④ skewed left or - skewed

⑤ Bimodal, uni modal

⑥ Dot plot

* The mid point = $\frac{\text{value 1} + \text{value 2}}{2}$

- The line graph → used when we are dealing with a certain range observation that varies according time

- 1) Mode → Most frequently, highest frequency → may not exist
 → used for qualitative data
 → not practically useful with the metric continuous
 → requires no calculation just counting
 → It isn't necessarily be unique

- 2) Median → It is the middle value in ordered data → may exist
 → odd No → we have just one median
 → even No → ~~even~~ " " 2 median
 Characteristics → unique, not affected by 2 extremes & skewness
 " " " outliers
 it discard a lot of information why?

$$Md = \frac{n+1}{2}$$

- 3) Mean → easy to handle
 → always exist & unique
 disadvantage → affected by skewness & outliers & 2 extremes
 → It can't be used with the ordinal data
 → It use all of the information in the data set
 → may produce a mean that is not very representative of the general mass data

$$\bar{X} = \frac{\sum X}{N}$$

- 4) weighted mean → It is the average measure of a No. of means

$$W. \text{ mean} = \frac{w_1 \bar{X}_1 + w_2 \bar{X}_2 + \dots}{w_1 + w_2 + \dots}$$

- * median & mode can be used for both ordinal & data
- * mean can't be used for ordinal & Nominal
- * Metric discrete mean & median & mode ✓
- * Metric continuous mean & mode ✓

1] Range

- simplest, It is the distance from the smallest to largest
- best written (from - to)
- The range is not affected by skewness
- " " " affected of an outlier value
- give no idea about other observation just to 2 observation
- It is not very useful measure of variation -

2] Interquartile range (IQR) → one solution to the problem of the sensitivity to extreme value

- measure the variation
- standard deviation

- The spread of the middle 50% of the distribution
- together with the median is useful adjunct (accessory) to the range
- it is less sensitive to the size of the sample
- not affected either by outlier or skewness
- It does not use all of the information in the data

3] standard deviation (SD)

$$* SD = \sqrt{\frac{\sum X^2 - \frac{(\sum X)^2}{N}}{N-1}}$$

- it is the square root of the average square deviation of observation from the mean in a set of data
- It use all the information in the data
- It is depend on the unit of measurement, we can't compare between two or more data to overcome this

4] variance S^2

$$S^2 = \frac{\sum X^2 - \frac{(\sum X)^2}{N}}{N-1}$$

- It is the average of squared deviation of observation from the mean in a set data
- It's unit square so restore the squared unit into it's original form by taking the $\sqrt{\quad}$ - SD

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① NDC homogenous form is symmetrical

50% half of them higher than the mean
50% half of them lesser

② divided by \rightarrow measure of CT \rightarrow mean \bar{x}
 \rightarrow measure of variability \rightarrow SD

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SD & its multiply
 \rightarrow one SD
 \rightarrow two SD
 \rightarrow three SD

Divided the area
 \rightarrow divide the area into small areas
 \rightarrow contain certain & fixed proportion

Characteristics NDC

- ① Bell shaped
- ② symmetrical
- ③ unimodal
- ④ fixed proportion of the observation
- ⑤ \bar{x} , median, mode the same
- ⑥ All the medical, biological phenomena following its distribution 68% 99% 95%
- ⑦ Area under curve divided by mean 2 equal halves

Its for justification & calculation for confidence interval
① Importance
②
③ basis of most of significance testing

Different samples \rightarrow differ \bar{x} s even if the samples size are equal

There is a difference between sample means & population mean parameters called **sampling error**

There is a difference between sample means & population means
samples mean \bar{x} **population mean μ**

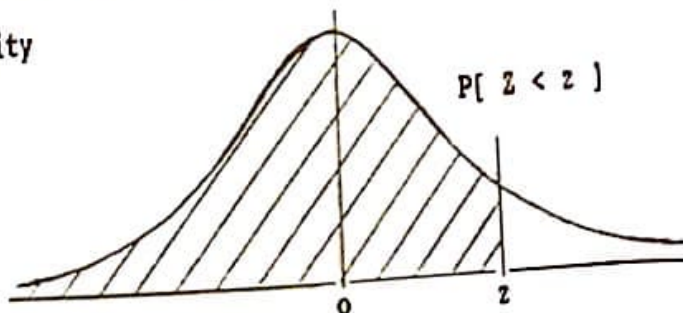
Average of SD sample means from population mean which is **standard Error**

STANDARD STATISTICAL TABLES

1. Areas under the Normal Distribution

The table gives the cumulative probability up to the standardised normal value z i.e.

$$P\{Z < z\} = \int_{-\infty}^z \frac{1}{\sqrt{2\pi}} \exp(-\frac{1}{2}z^2) dz$$



توضیح ل آخر ورقه

z	0.00	0.01	0.02	0.03	0.04	0.05	0.06	0.07	0.08	0.09
0.0	0.5000	0.5040	0.5080	0.5120	0.5159	0.5199	0.5239	0.5279	0.5319	0.5359
0.1	0.5398	0.5438	0.5478	0.5517	0.5557	0.5596	0.5636	0.5675	0.5714	0.5753
0.2	0.5793	0.5832	0.5871	0.5910	0.5948	0.5987	0.6026	0.6064	0.6103	0.6141
0.3	0.6179	0.6217	0.6255	0.6293	0.6331	0.6368	0.6406	0.6443	0.6480	0.6517
0.4	0.6554	0.6591	0.6628	0.6664	0.6700	0.6736	0.6772	0.6808	0.6844	0.6879
0.5	0.6915	0.6950	0.6985	0.7019	0.7054	0.7088	0.7123	0.7157	0.7190	0.7224
0.6	0.7257	0.7291	0.7324	0.7357	0.7389	0.7422	0.7454	0.7486	0.7517	0.7549
0.7	0.7580	0.7611	0.7642	0.7673	0.7704	0.7734	0.7764	0.7794	0.7823	0.7854
0.8	0.7881	0.7910	0.7939	0.7967	0.7995	0.8023	0.8051	0.8078	0.8106	0.8133
0.9	0.8159	0.8186	0.8212	0.8238	0.8264	0.8289	0.8315	0.8340	0.8365	0.8389
1.0	0.8413	0.8438	0.8461	0.8485	0.8508	0.8531	0.8554	0.8577	0.8599	0.8621
1.1	0.8643	0.8665	0.8686	0.8708	0.8729	0.8749	0.8770	0.8790	0.8804	0.8830
1.2	0.8849	0.8869	0.8888	0.8907	0.8925	0.8944	0.8962	0.8980	0.8997	0.9015
1.3	0.9032	0.9049	0.9066	0.9082	0.9099	0.9115	0.9131	0.9147	0.9162	0.9177
1.4	0.9192	0.9207	0.9222	0.9236	0.9251	0.9265	0.9279	0.9292	0.9306	0.9319
1.5	0.9332	0.9345	0.9357	0.9370	0.9382	0.9394	0.9406	0.9418	0.9429	0.9441
1.6	0.9452	0.9463	0.9474	0.9484	0.9495	0.9505	0.9515	0.9525	0.9535	0.9545
1.7	0.9554	0.9564	0.9573	0.9582	0.9591	0.9599	0.9608	0.9616	0.9625	0.9633
1.8	0.9641	0.9649	0.9656	0.9664	0.9671	0.9678	0.9686	0.9693	0.9699	0.9706
1.9	0.9713	0.9719	0.9726	0.9732	0.9738	0.9744	0.9750	0.9756	0.9761	0.9767
2.0	0.9773	0.9778	0.9783	0.9788	0.9793	0.9798	0.9803	0.9808	0.9812	0.9817
2.1	0.9821	0.9826	0.9830	0.9834	0.9838	0.9842	0.9846	0.9850	0.9854	0.9857
2.2	0.9861	0.9865	0.9868	0.9871	0.9874	0.9878	0.9881	0.9884	0.9887	0.9890
2.3	0.9893	0.9896	0.9898	0.9901	0.9904	0.9906	0.9909	0.9911	0.9913	0.9916
2.4	0.9918	0.9920	0.9922	0.9924	0.9927	0.9929	0.9931	0.9932	0.9934	0.9936
2.5	0.9938	0.9940	0.9941	0.9943	0.9945	0.9946	0.9948	0.9949	0.9951	0.9952
2.6	0.9953	0.9955	0.9956	0.9957	0.9959	0.9960	0.9961	0.9962	0.9963	0.9964
2.7	0.9965	0.9966	0.9967	0.9968	0.9969	0.9970	0.9971	0.9972	0.9973	0.9974
2.8	0.9974	0.9975	0.9976	0.9977	0.9977	0.9978	0.9979	0.9980	0.9980	0.9981
2.9	0.9981	0.9982	0.9982	0.9983	0.9984	0.9984	0.9985	0.9985	0.9986	0.9986
3.0	0.9986	0.9990	0.9993	0.9995	0.9997	0.9998	0.9998	0.9999	0.9999	1.0000

90%

95%

99%