

The Erythrocytic Sedimentation Rate (ESR) (mm/1st hour) of 10 subjects suffering from Lyme arthritis before and after 6 weeks of parenteral penicillin therapy is presented in the following table. (Assuming that: level of significance or $\alpha=0.05$, and two-sided test)

| Case # | ESR (mm/1st hour) | | B-A | $(X-\bar{X})^2$ |
|--------|-------------------|-------|-----|-----------------|
| | Before | After | | |
| 1 | 10 | 6 | 4 | $(4-3)^2 = 1$ |
| 2 | 13 | 9 | 4 | 1 |
| 3 | 6 | 3 | 3 | 0 |
| 4 | 11 | 10 | 1 | 4 |
| 5 | 10 | 10 | 0 | 4 |
| 6 | 7 | 4 | 3 | 0 |
| 7 | 8 | 2 | 6 | 4 |
| 8 | 8 | 5 | 3 | 0 |
| 9 | 5 | 3 | 2 | 1 |
| 10 | 9 | 5 | 4 | 1 |

1. The suitable test to be used in this problem to check the effectiveness of the penicillin therapy is

- A. Independent (2 sample t-test)
- B. Paired t-test
- C. Chi square
- D. One sample t-test
- E. ANOVA

one sample لما يكون عننا \bar{x}
Before + After

2. The calculated value of t-test is

- A. 2.47
- B. 5.58
- C. 3.11
- D. 7.12
- E. None of the above

Paired t-test بما إنه \bar{x} و σ \leftarrow $\frac{\bar{x} - \mu}{\sigma/\sqrt{n}}$ \leftarrow $\frac{\bar{x} - \mu}{\sigma/\sqrt{n}}$ \leftarrow $\frac{3-0}{1.69/\sqrt{10}} = 5.6$

$S^2 = \frac{\sum (X - \bar{X})^2}{n-1}$
 $S^2 = \frac{26}{9} = 2.89$
 $S = \sqrt{\frac{26}{9}} = 1.69$

3. The critical (tabulated) value of t-test is

- A. 1.83
- B. 5.58
- C. 2.26
- D. 3.25
- E. 2.23

* بحسب أول شيء $n-1$ \leftarrow $10-1=9$
* يروح على الجدول ويطلع منه t لأنه ما ذكركم
بح افتراضها $\alpha=0.05$

| t-table Degrees of Freedom | Probability, p | | | |
|-------------------------------|----------------|-------|-------|--------|
| | 0.1 | 0.05 | 0.01 | 0.001 |
| 1 | 6.31 | 12.71 | 63.66 | 636.02 |
| 2 | 2.92 | 4.30 | 9.93 | 31.60 |
| 3 | 2.35 | 3.18 | 6.94 | 21.99 |
| 4 | 2.13 | 2.78 | 6.00 | 17.54 |
| 5 | 2.02 | 2.57 | 5.40 | 15.99 |
| 6 | 1.94 | 2.45 | 5.03 | 15.00 |
| 7 | 1.89 | 2.37 | 4.75 | 14.15 |
| 8 | 1.86 | 2.31 | 4.58 | 13.41 |
| 9 | 1.83 | 2.26 | 4.43 | 12.78 |
| 10 | 1.81 | 2.23 | 4.30 | 12.25 |

4. The decision to be taken according to your calculated value is to:

- A. Reject the null hypothesis
- B. Accept the null hypothesis
- C. Can't be determined and need more information
- D. Reject the alternative hypothesis
- E. None of the above

* القرار إنه ارفضته t

هو انه ما في فروق او $=$ \rightarrow t

ما في انت بتكون فرضيتك t \rightarrow t
يا $<$ $>$

* مثلاً الجدول أطول عمرو من الخ...

If it is known that, the mean Hb% of adult females in a community is 90% (μ), and we want to test whether pregnancy has an effect on hemoglobin level. The sample size is 36 pregnant women, their arithmetic mean of Hb% is 85%, and standard deviation (sd) is 4.14

1. The suitable test to be used in this problem to check the effect of pregnancy on Hb%
- A. Independent (2 sample t-test)
 - B. Paired t-test
 - C. Chi square
 - D. One sample t-test
 - E. ANOVA

اختبارنا لا العينه و Mean ال Population

one sample
Before
After

2. The Calculated value (t) is

- A. 1.5
- B. 5.77
- C. 3.22
- D. 7.24
- E. None of the above

$$= \frac{\bar{x} - \mu}{s/\sqrt{n}} = \frac{85 - 90}{\frac{4.14}{\sqrt{36}}} = 7.2$$

حساب لوماليفنا

3. The Critical value at the 5% level (2-sided)

- A. 1.68
- B. 2.77
- C. 3.22
- D. 2.02
- E. 3.55

$$36 - 1 = 35$$

لوماليف بالجدول الرسمى
ياخذ الاعداد منه

| | | | | |
|----------|------|------|------|------|
| 20 | 1.72 | 2.09 | 2.85 | 3.85 |
| 21 | 1.72 | 2.08 | 2.83 | 3.82 |
| 22 | 1.72 | 2.07 | 2.82 | 3.79 |
| 23 | 1.71 | 2.07 | 2.82 | 3.77 |
| 24 | 1.71 | 2.06 | 2.80 | 3.75 |
| 25 | 1.71 | 2.06 | 2.79 | 3.73 |
| 26 | 1.71 | 2.06 | 2.78 | 3.71 |
| 27 | 1.70 | 2.05 | 2.77 | 3.69 |
| 28 | 1.70 | 2.05 | 2.76 | 3.67 |
| 29 | 1.70 | 2.05 | 2.76 | 3.66 |
| 30 | 1.70 | 2.04 | 2.75 | 3.65 |
| 35 | 1.68 | 2.02 | 2.70 | 3.58 |
| 40 | 1.67 | 2.00 | 2.66 | 3.48 |
| 50 | 1.66 | 1.98 | 2.62 | 3.37 |
| infinity | 1.65 | 1.96 | 2.58 | 3.29 |

4. The decision to be taken according to your calculated value (t) is to:

- A. Accept the null hypothesis
- B. Can't be determined and need more information
- C. Reject the alternative hypothesis
- D. Accept the alternative hypothesis
- E. None of the above

$$t = 7.24 > t_c = 2.02$$

$\times H_0$
 $\checkmark H_1$

If we want to know, whether Japanese doctors are smarter than Jordanian doctors according to their intelligent quotient (IQ). In addition, we know the following information for Japanese doctors: sample size = 100, mean IQ = 92, sd= 5. And for Jordanian doctors: sample size = 100, mean IQ = 90, sd= 4

1. The suitable test to be used in this problem is

- A. ANOVA
- B. Independent (2 sample t-test) *٢ sample ما تشوف*
- C. Paired t-test
- D. Chi square
- E. One sample t-test

2. The calculated value (t) is

- A. 1.56
- B. 2.77
- C. 3.12
- D. 4.24
- E. None of the above

$$s_p^2 = \frac{S_1^2(n-1) + S_2^2(n-1)}{n_1 + n_2 - 2} = \frac{25 \times 99 + 16 \times 99}{198} = 20.5$$

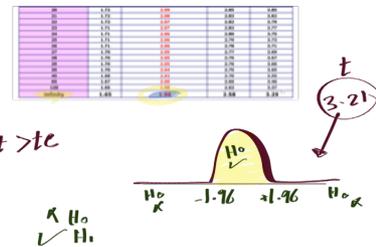
$$t = \frac{\bar{X}_1 - \bar{X}_2}{\sqrt{\frac{s_p^2}{n_1} + \frac{s_p^2}{n_2}}}$$

3. The decision to be taken according to your calculated value (t) is to:

- A. Accept the null hypothesis
- B. Can't be determined and need more information
- C. Reject the null hypothesis
- D. Accept the alternative hypothesis
- E. C+D

* اتبعه

df
 $n_1 + n_2 - 2$
 198
 لما يكون الرقم كبير بروج على infinity



$t > t_c$

$\checkmark H_0$
 $\checkmark H_1$

4. When using alpha level of 0.01 then the test considered statistically not significant if:

- A. $p = 0.004$
- B. $p = 0.005$
- C. $p = 0.001$
- D. $p = 0.05$
- E. None of the above

$P > \alpha$
 Significant
 $P \leq \alpha$