

# The high yield

## Chi square ( $\chi^2$ ):

It is the sum of the squared difference between the observed frequency and expected frequency, divided by the expected frequency .

>Therefore,  $\chi^2$  is always UPPER ONE SIDED TEST .

> Chi square is used in testing difference in proportions while t test and F test are used in testing difference in means.

> arrange the table with Exposure as the row variable and

Out come as the column variable .

> The techniques for testing hypothesis concerning

Qualitative data counting data Categorical data Discrete.

## Procedure

Chi square calculation procedure

✓ Calculate the expected values E for each cell

✓ Calculate the value O- E for each cell

✓ O is the observed

✓ Square O-E

✓ Divide each squared O- E by E for each cell

✓ Sum all of the values in previous step

this result is called test statistic

✓ identify the critical chi-square obtained

✓ from the chi square table.

□ To reject the null hypothesis of equal proportion i.e. of independent variables the value of the test statistics must exceed the critical chi-square obtained from the chi square table.

## Continuity Correction

The chi square test for 2X2 table can be improved by using continuity correction we call it Yates continuity correction the formula become

## Validity of $\chi^2$

When the expected numbers are very small the chi square test is not good enough

We recommended other test (Exact Test)

Thus  $\chi^2$  is valid

>when the overall total is more than 40 , regardless the expected values and

>when the overall total between 20 and 40 provided that all expected values are at least 5

40,20 Total

5 expected at least 5

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$$\chi^2 = \sum \frac{(O - E)^2}{E}$$

$$E = \frac{\text{total column} \times \text{total rows}}{\text{Grand total}}$$

# The high yield

## Example

treatment, 354 individuals of them, were given drug A.  
Of those given drug A only 240 patients were survived.  
On the other hand only 212 patients who's given drug B were survived can we conclude that the effectiveness of treatment differ between two drugs (A&B) ????.

Let  $\alpha$  0.05

There is an **observed difference** in the **survival rate** between drug A (67.8%) and B (66.9%) .

There is **no significance difference** in the **proportion (rate)** of survival between two groups .

There is a **significance difference** in the **survival rate** between two type of treatment .

	drug A	drug B	tot.
Survived	240	212	452
Died	114 <small>354-240</small>	105 <small>317-212</small>	219
tot.	354	317	671 <small>671-354</small>

## Degree of freedom

$$d.F = (\text{No. of rows} - 1) (\text{No. of column} - 1)$$

$$= (r - 1) (c - 1)$$

$$(2 - 1) (2 - 1) = 1$$

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## expected value for each cell

$$E_{240} = \frac{354 \times 452}{671} = 238.5$$

$$E_{114} = \frac{354 \times 219}{671} = 115.5$$

$$E_{212} = \frac{452 \times 317}{671} = 213.5$$

$$E_{105} = \frac{317 \times 219}{671} = 103.5$$

$$= \frac{(240 - 238.5)^2}{238.5} + \frac{(114 - 115.5)^2}{115.5} + \frac{(212 - 213.5)^2}{213.5} + \frac{(105 - 103.5)^2}{103.5}$$

$$= \frac{(1.5)^2}{238.5} + \frac{(1.5)^2}{115.5} + \frac{(-1.5)^2}{213.5} + \frac{(1.5)^2}{103.5} = \frac{2.25}{238.5} + \frac{2.25}{115.5} + \frac{2.25}{213.5} + \frac{2.25}{103.5}$$

$$= 0.009434 + 0.0195 + 0.01056 + 0.02174$$

$$= 0.061234$$



## Conclusion

Calculated  $\chi^2$  fall in Accept Region  $\rightarrow$  so We not reject (accept)  $H_0$  .

There is no significance difference in proportion of survival

rate between two drugs

$P > 0.05$

Calculated  $\chi^2$  less than tabulated  $\chi^2$

chance factor increases,

influencing factor decrease

